

<p>Definition</p> <p>A number whose principal square root is a whole number.</p>	<p>Characteristics</p> <p>If you draw a rectangle with the principal root of these numbers, it will be a square.</p>
<p>Perfect square</p>	
<p>Examples</p> <p>4 is a perfect square because the principal square root of 4 is 2 (a whole number.) $\sqrt{4} = 2$</p> <p>81 is a perfect square because the principal square root of 81 is 9 (a whole number.) $\sqrt{81} = 9$</p>	<p>Non-example with Reasoning:</p> <p>8 is not a perfect square, because the square root of 8 is approximately 2.8 which is not a whole number. $\sqrt{8} \approx 2.8$</p>

<p>Definition</p> <p>The square root of any number (A) is whatever factor (s) can be multiplied by itself and have that number (A) as the product.</p> <p>$A = s \cdot s = s^2$ therefore $\sqrt{A} = s$</p>	<p>Characteristics</p> <p>Each number has both a positive root (called the principal square root) and a negative root. This is because both of the following equations are true:</p> <p>$2 \cdot 2 = 4$ and $-2 \cdot -2 = 4$</p>
<p>Square Root</p>	
<p>Examples</p> <p>The symbol for finding the square root of a number is $\sqrt{\quad}$.</p> <p>$\sqrt{36} = -6$ and 6 (<i>principal root</i>)</p> <p>$\sqrt{25} = -5$ and 5 (<i>principal root</i>)</p>	<p>Non-example with Reasoning:</p> <p>$\sqrt{27} \neq 3$</p> <p>3 is the cubed root of 27 because $3 \cdot 3 \cdot 3 = 27$.</p> <p>$\sqrt{27} \sim 5.19$</p>